

# Development of an aerogel Cherenkov counter for the LEPS2 experiment at SPring-8

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- physics motivation :  $K^-pp$  bound state
- LEPS2 experiment
- aerogel Cherenkov counter for LEPS2
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- summary

# physics motivation

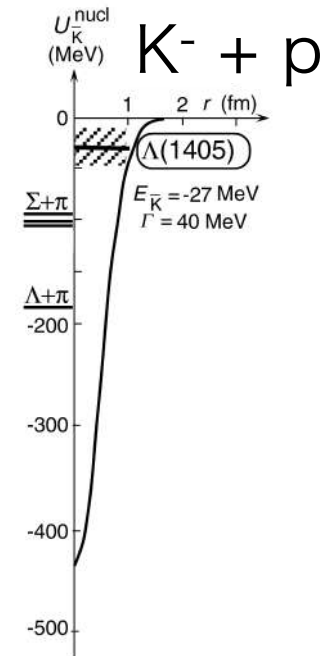
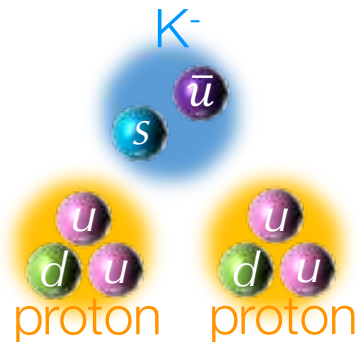
## $\bar{K}N$ interaction

It is known that  $\bar{K}N$  interaction is attractive from Kaonic-hydrogen X-ray data and  $\bar{K}N$  scattering data.

Y.Akaishi and T.Yamazaki assumed that  $\Lambda(1405)$  is  $\bar{K}N$  bound state and calculated  $\bar{K}N$  potential.

- $\bar{K}N$  interaction is strong attractive ( $l=0$ ).
- **Kaonic nucleus** exist.

The simplest kaonic nucleus : **K<sup>-</sup>pp bound state.**



Y. Akaishi and T. Yamazaki, Phys. Rev. C 65, 044005 (2002)

# physics motivation

## J-PARC E27

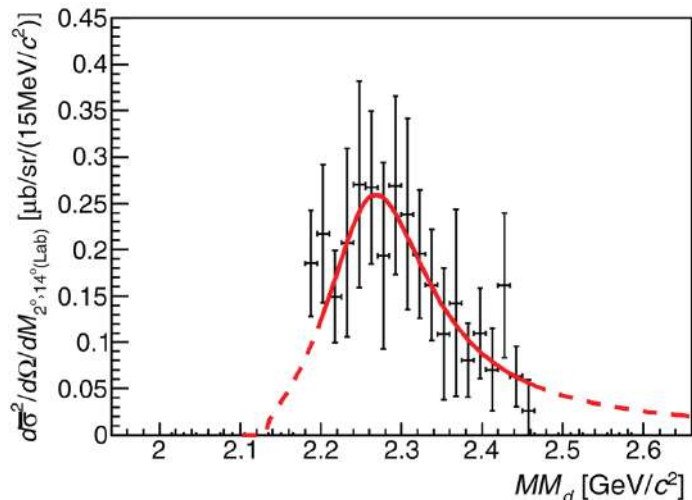
$\pi^+ d \rightarrow K^+ X \dots K^*$  exchange

missing mass spectrum

+ identify final state ( $\Sigma^0 p$ )

Binding energy :  $95^{+18}_{-17}(\text{stat})^{+20}_{-21}(\text{syst})$  MeV

width :  $162^{+87}_{-45}(\text{stat})^{+66}_{-78}(\text{syst})$  MeV



Y. Ichikawa *et al.*, Prog. Theor. Exp. Phys (2015) 021D01

## J-PARC E15

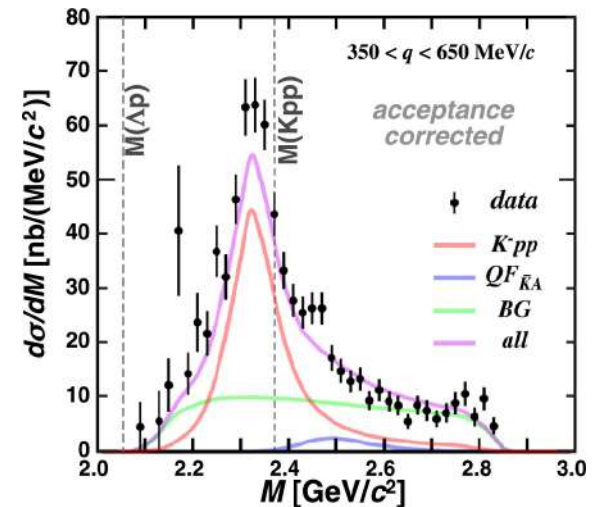
$K^- {}^3\text{He} \rightarrow n X$

missing mass spectrum

+ invariant mass spectrum ( $\Lambda p$ )

Binding energy :  $47^{+3}_{-3}(\text{stat})^{+3}_{-6}(\text{syst})$  MeV

width :  $115^{+7}_{-7}(\text{stat})^{+10}_{-20}(\text{syst})$  MeV



S. Ajimura *et al.*, Phys. Lett. B 789, 620-625 (2019).

# physics motivation

## SPring-8/LEPS

$\gamma d \rightarrow K^+ \pi^- X \dots K, K^*$  exchange

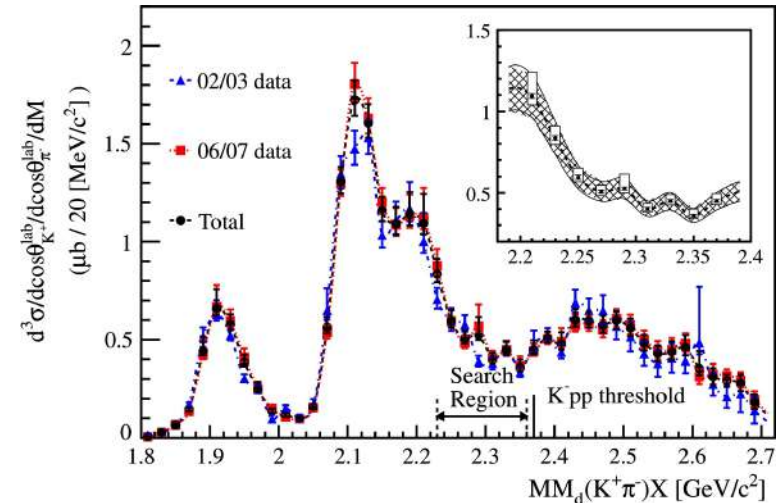
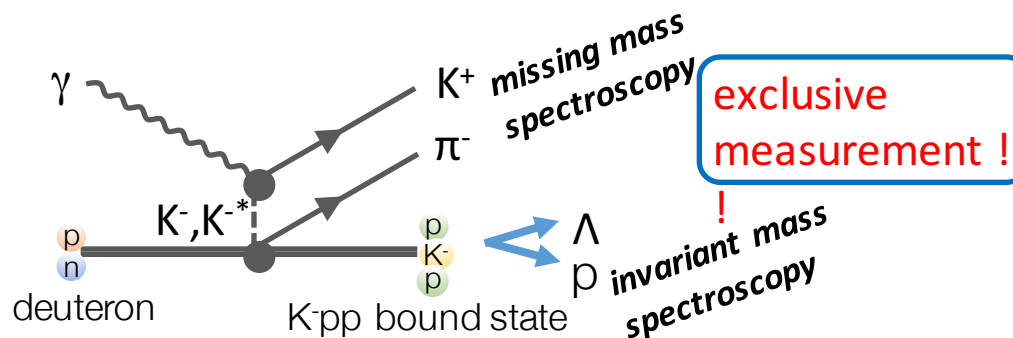
missing mass spectrum

... peak structure was NOT observed.

## SPring-8/LEPS2

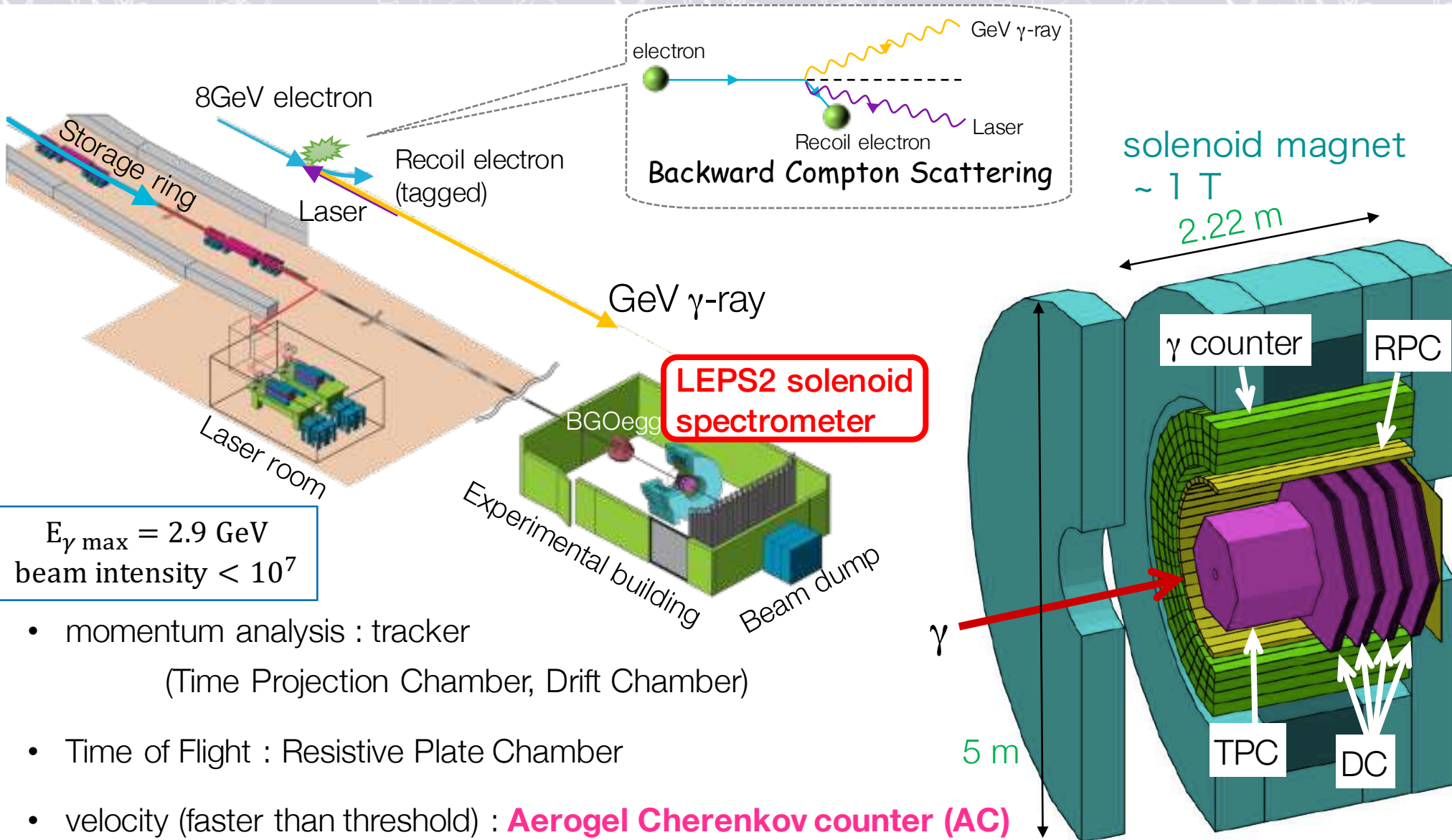
take data 10 times more than LEPS

missing mass spectrum + invariant mass spectrum



A. O. Tokiyasu *et al.*, Phys. Lett. B 728 616-621 (2014).

# LEPS2 experiment



$E_{\gamma \text{ max}} = 2.9 \text{ GeV}$   
beam intensity  $< 10^7$

- momentum analysis : tracker  
(Time Projection Chamber, Drift Chamber)
- Time of Flight : Resistive Plate Chamber
- velocity (faster than threshold) : **Aerogel Cherenkov counter (AC)**

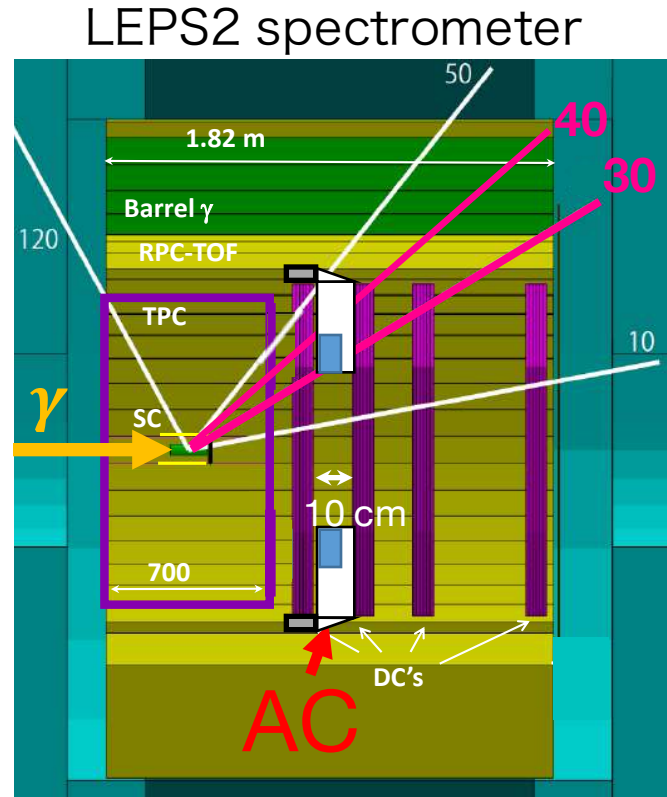
# Aerogel Cherenkov counter

**Purpose** : separate  $\pi$  and K in the momentum region 1 – 2 GeV/c

We use aerogels which refractive index = **1.03**.

## Requirement

- $\pi$  detection efficiency > 95%
- acceptance region :  $30^\circ - 40^\circ$
- install in the small gap (10 cm)
- work in the magnetic field
- minimize the material budget



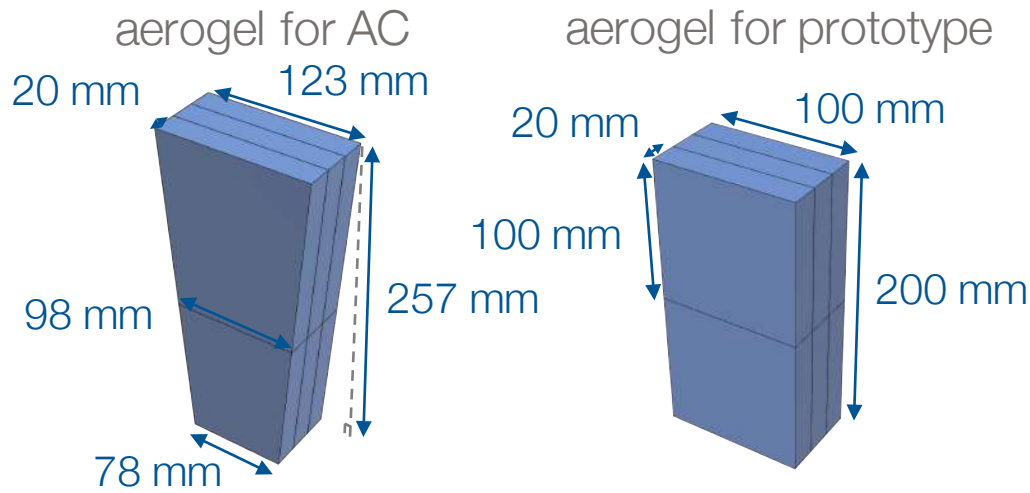
# Shape of AC

## Shape of aerogels

for AC : trapezoid

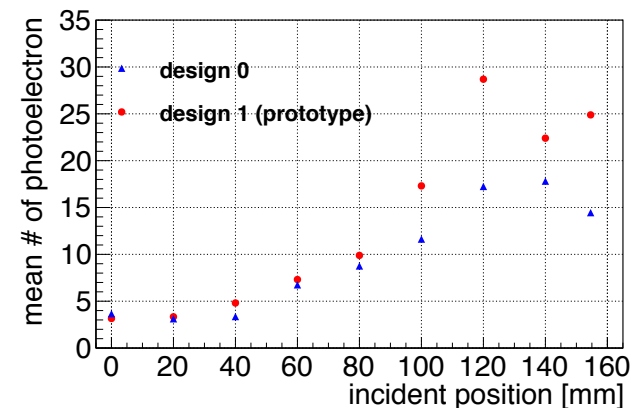
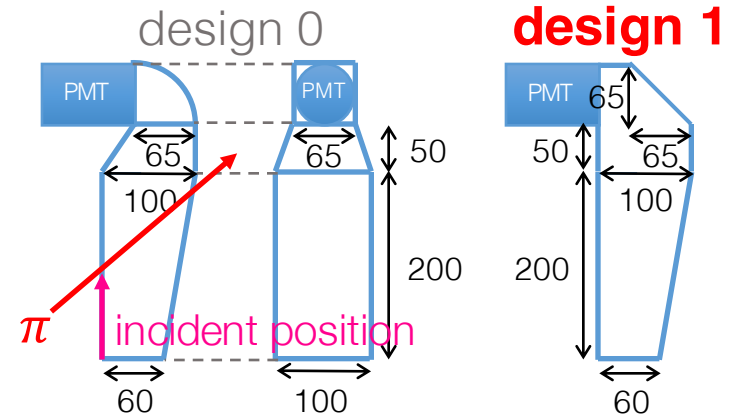
accurate size & cutting method were not decided.

for prototype : rectangle



## Shape of box

optimize shape of box using an optical simulation code, Guide-7.

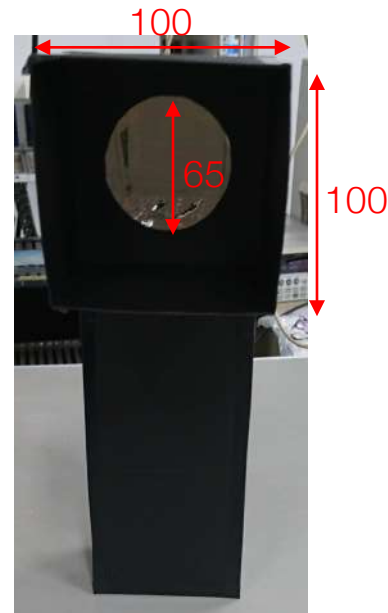
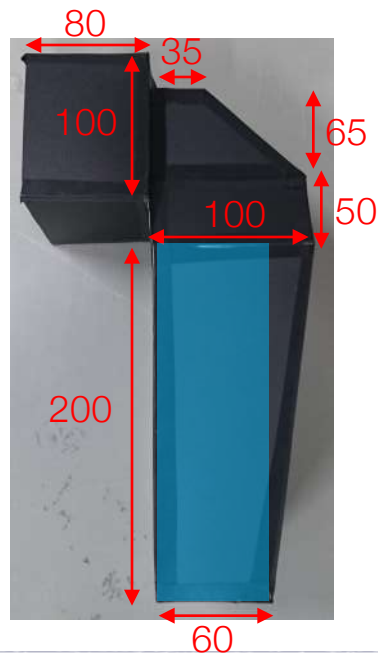




# Components of prototype

## components

- aerogel ( $n = 1.03$ ,  $10 \times 10 \times 2$  cm, 6 pieces)
- box : polypropylene sheet
- inner reflector (Enhanced Specular Reflector, ESR)
- 3-inch fine-mesh PMT (hamamatsu R5543)



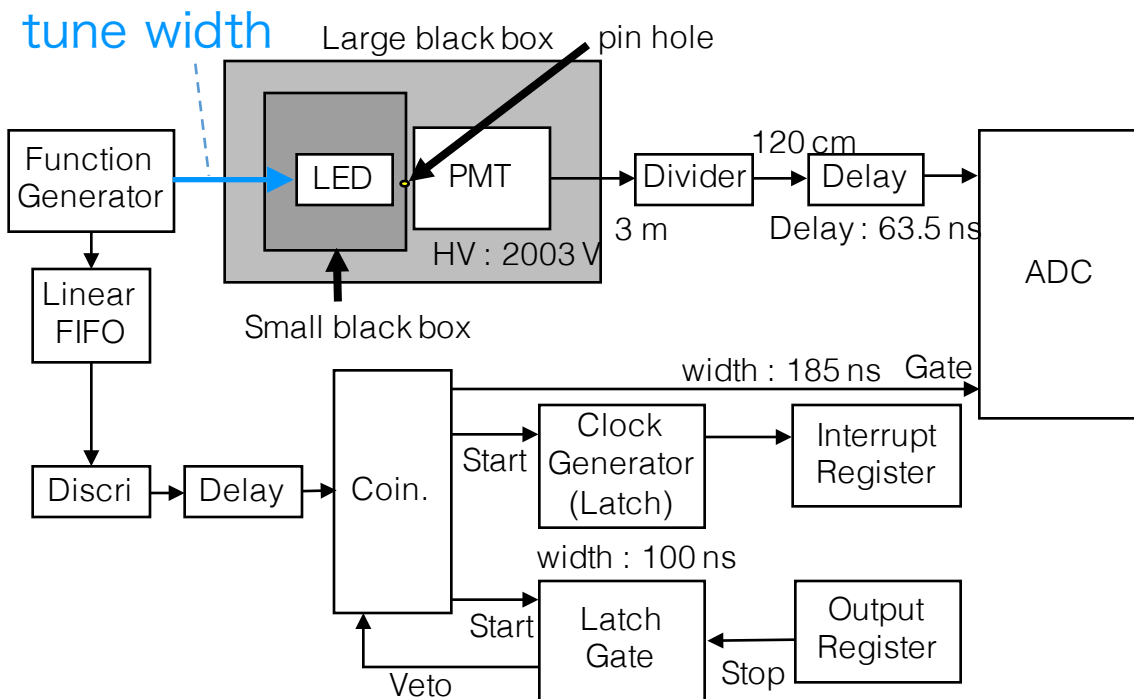
# fine-mesh PMT

## Single photo-electron signal

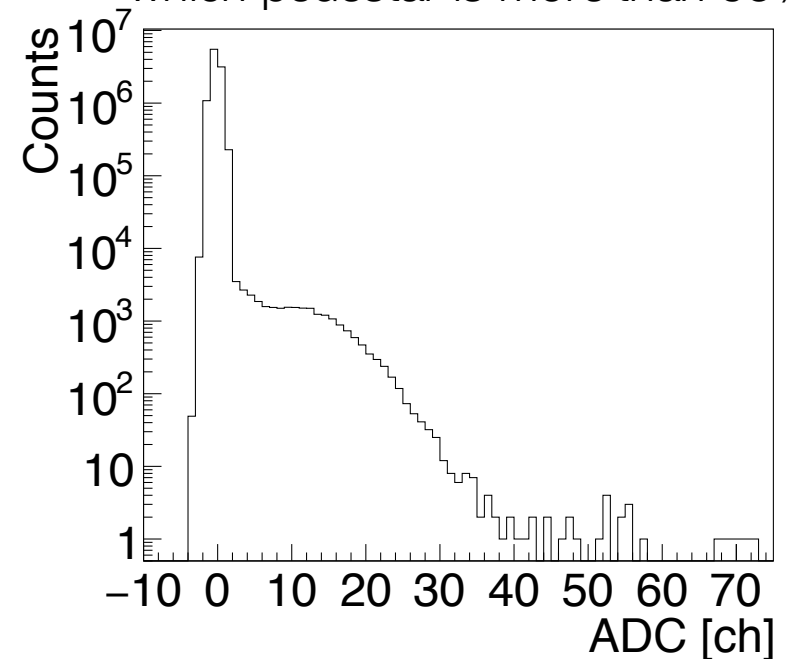
number of photo-electron ( $N_{pe}$ ) follows a poisson distribution.

When pedestal events account for 95%,

2 photo-electron events become about 0.2%.



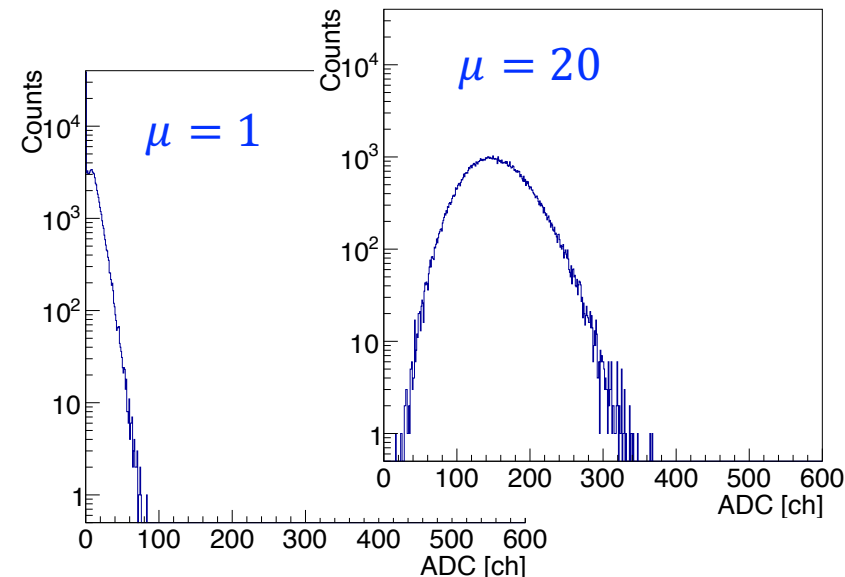
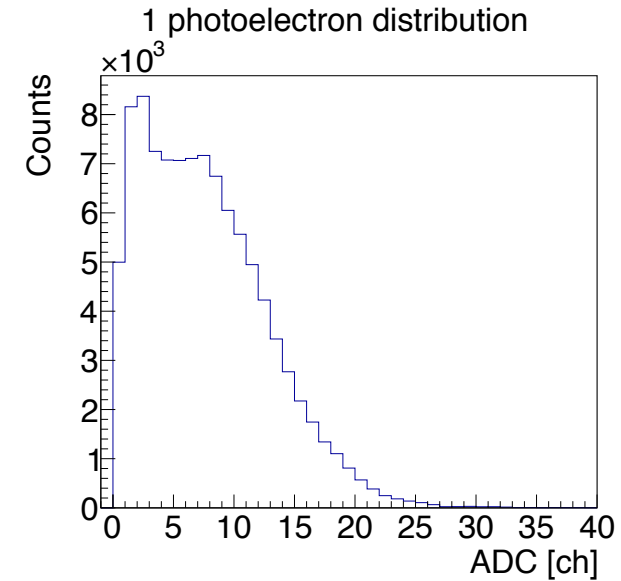
Charge distribution  
which pedestal is more than 95%



# fine-mesh PMT calibration

## calibration

- How to make multi photo-electron signal  
Photo-electrons generate following a poisson distribution which mean is  $\mu$ .  
ADC value of each photo-electron signal follows the 1 photo-electron distribution.
- How to estimate mean of  $N_{pe}$  of a charge distribution of performance test  
 $\chi^2$  test for comparing a charge distribution of performance test and multi photo signals  
 $\mu = \text{mean of } N_{pe}$  when  $\chi^2$  is minimum.



# performance test : electron beam test

performed 2018/07/17 – 19 @LEPS

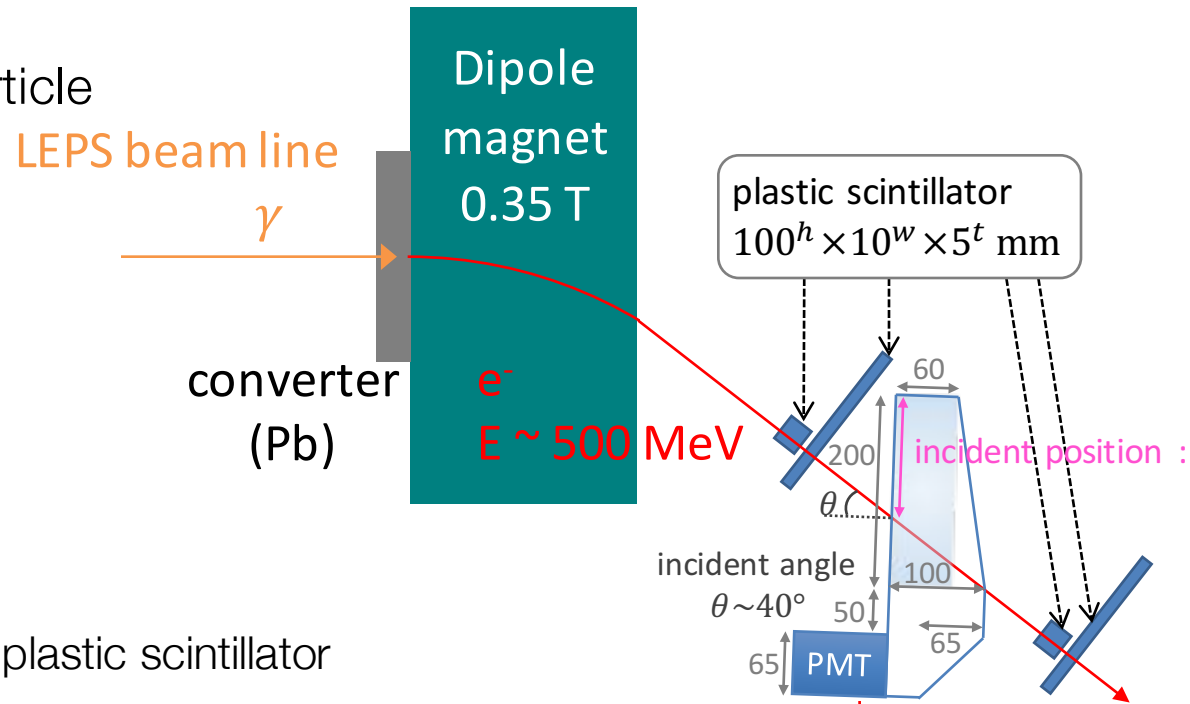
## Purpose

to check a light output of  $\beta \sim 1$  particle

- mean  $N_{pe}$
- $\pi$  detection efficiency
- K mis-identification probability
- position dependence

## Conditions

- trigger signal : coincidence of 4 plastic scintillator
- trigger rate  $\sim 50$  Hz
- incident position : 0, 60, 120 mm
- with / without aerogel in the prototype



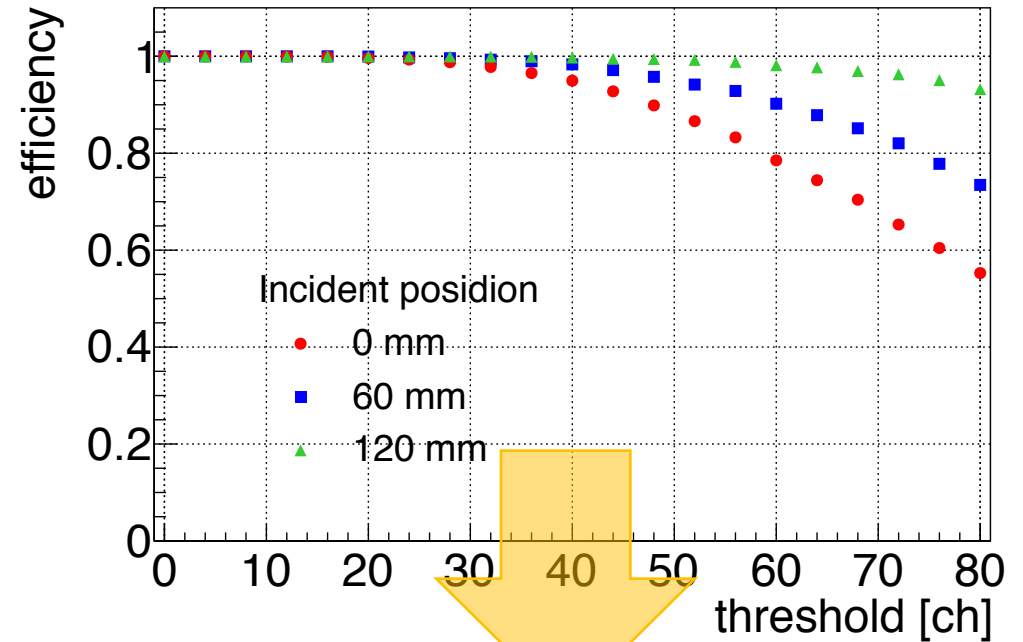
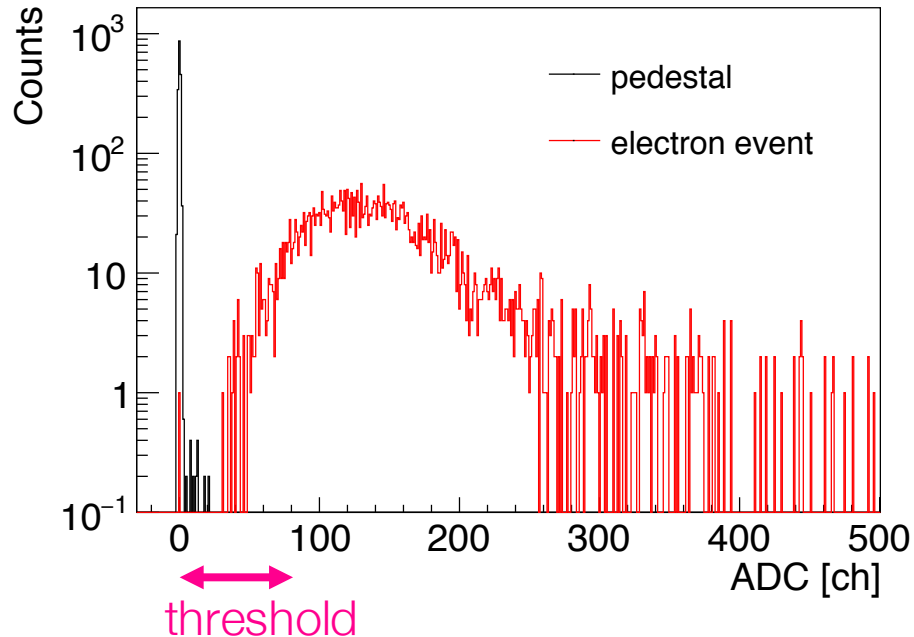
# $\pi$ detection efficiency

Charge distribution (with aerogel)

estimate  $\pi$  detection efficiency

$$\text{efficiency} = \frac{\text{Counts (ADC} > \text{threshold)}}{\text{Counts (Trigger)}}$$

Charge distribution  
(with aerogel)



Required  $\pi$  detection efficiency > 95%

threshold < 36 ch

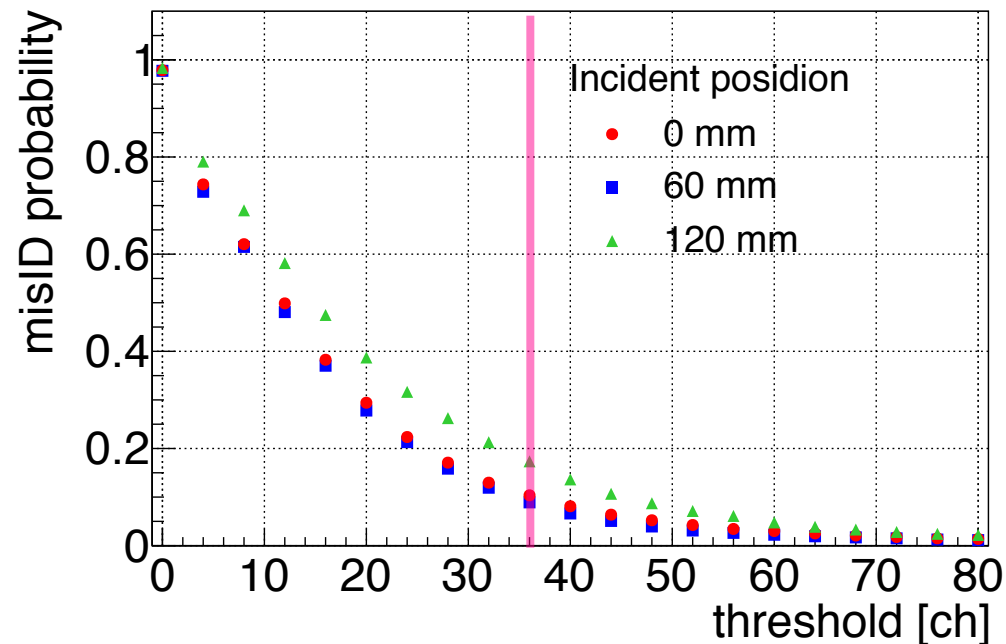
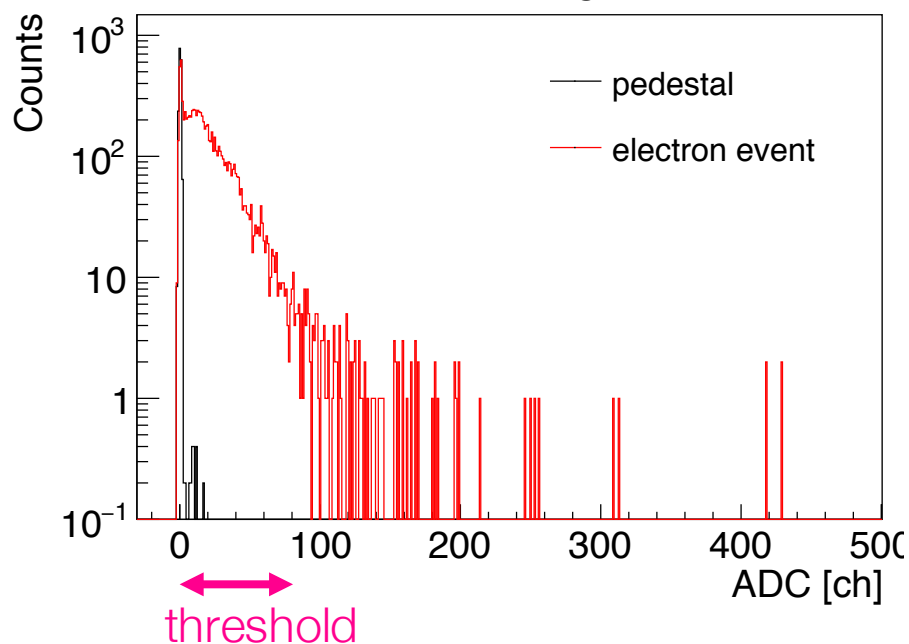
# K mis-identification probability

Charge distribution (without aerogel)

K mis-identification probability

$$\text{misID} = \frac{\text{Counts (ADC > threshold)}}{\text{Counts (Trigger)}}$$

Charge distribution  
(without aerogel)



Required  $\pi$  detection efficiency > 95%

threshold < 36 ch

When threshold is 36 ch

K misID probability < ~17%

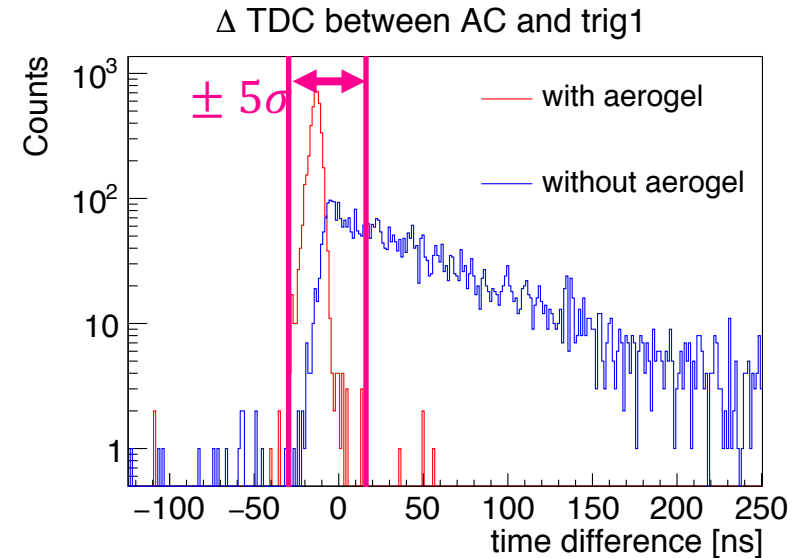
# Suppression of K mis-identification probability

## Event selection using time information

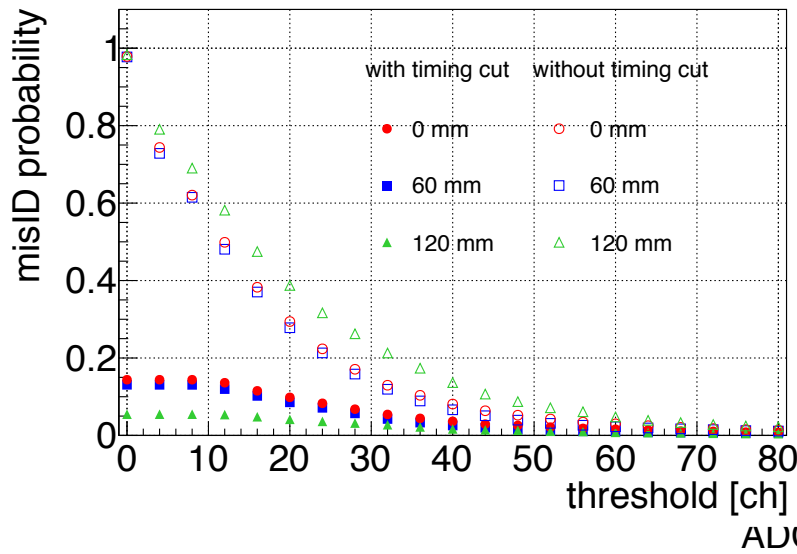
Scintillation light is emitted slower than Cherenkov light.

limit  $\Delta TDC$  [ns] between

AC and trigger scintillator



Charge distribution



$\pi$  detection efficiency > 95%

K misID probability < 11%

→ Event selection using time information is useful to suppress K misID probability

# Compare test results and simulation

mean  $N_{pe}$  of Cherenkov light from aerogels

$$= \text{mean } N_{pe} (\text{with aerogel}) - \text{mean } N_{pe} (\text{without aerogel})$$

Compare ratio  $\frac{\text{mean } N_{pe}}{\text{mean } N_{pe} (\text{incident position}=120 \text{ mm})}$

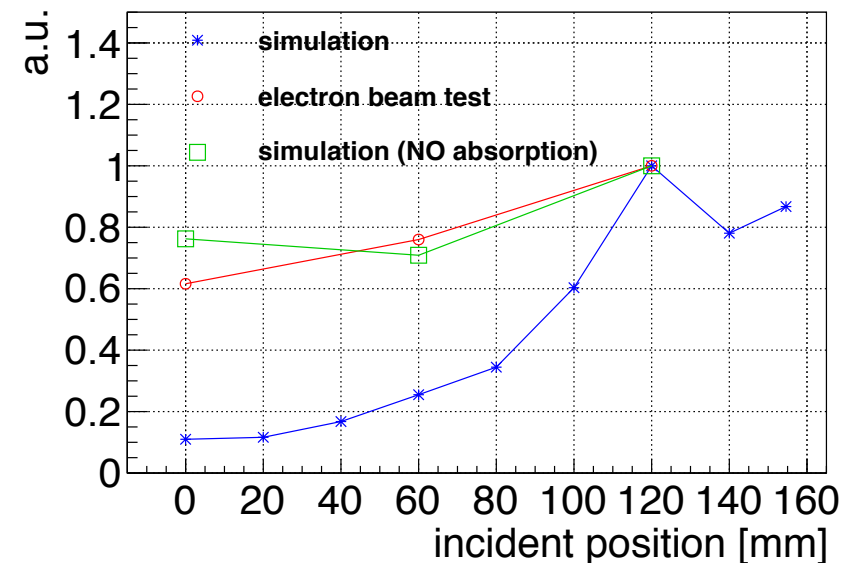
- Simulation concerning absorption of light by aerogel

Position dependence is larger than test results.

- Simulation neglecting absorption of light by aerogel

The tendency of position dependence is almost same to test results.

→ In a aerogel, light is scattered than absorbed.

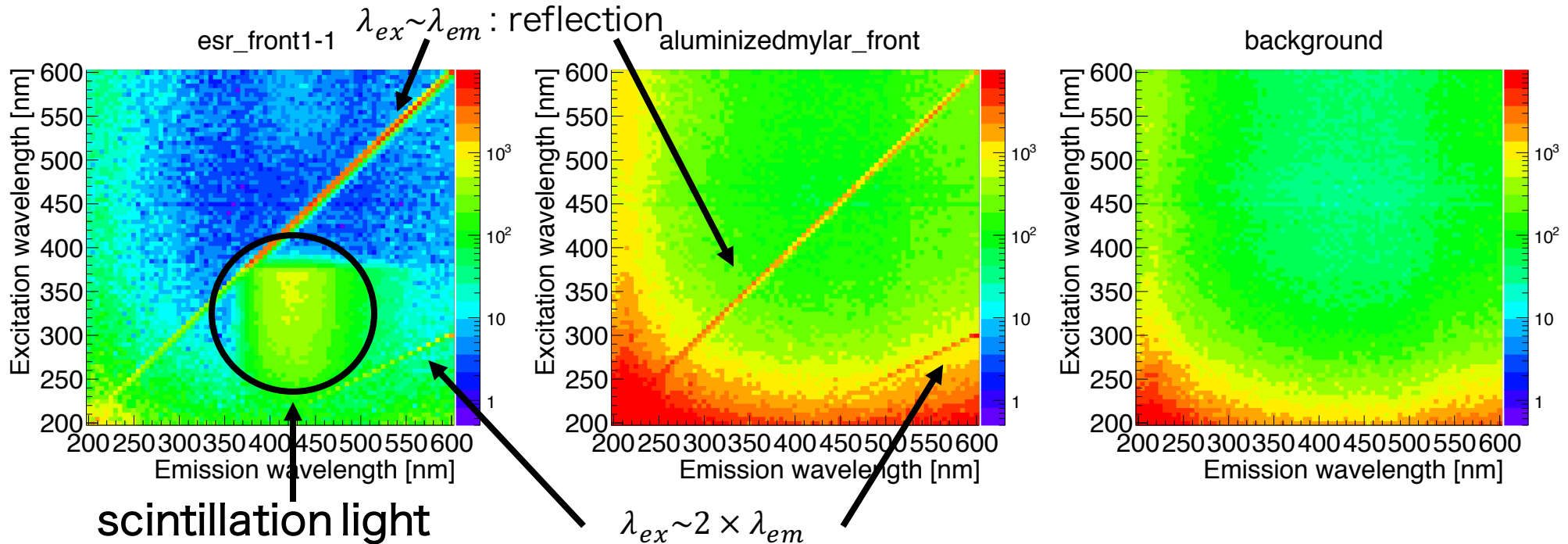




# Study of scintillation light from reflector

measure an intensity of emission light from a sample when induce excitation light

Using HITACHI spectro-fluorophotometer F-4500.

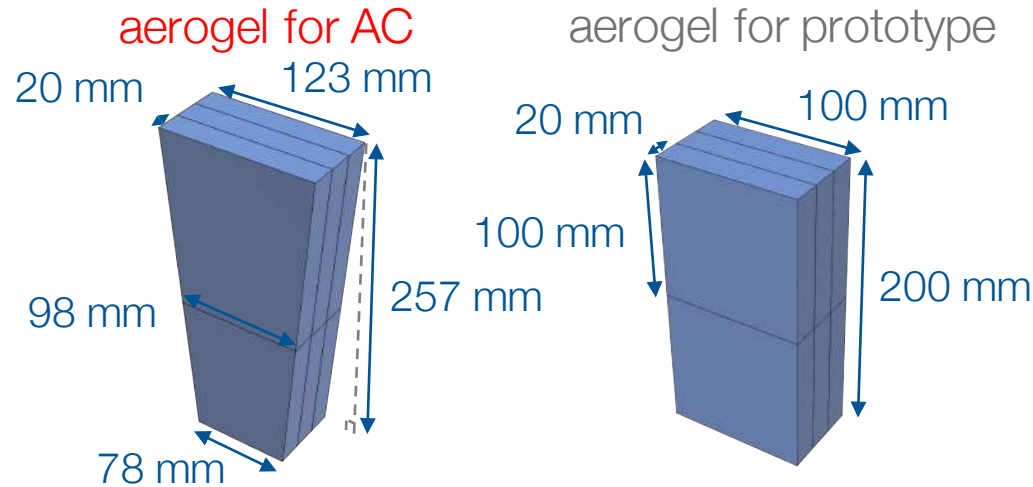


Scintillation light which wavelength is about 400 – 500 nm is emitted from ESR.

From aluminizedmylar, scintillation light is not emitted.

# future plan

- Optimize shape of AC box using simulation neglecting light absorption by aerogal.

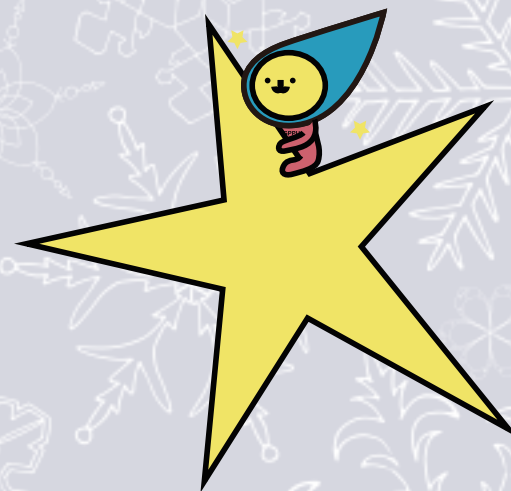
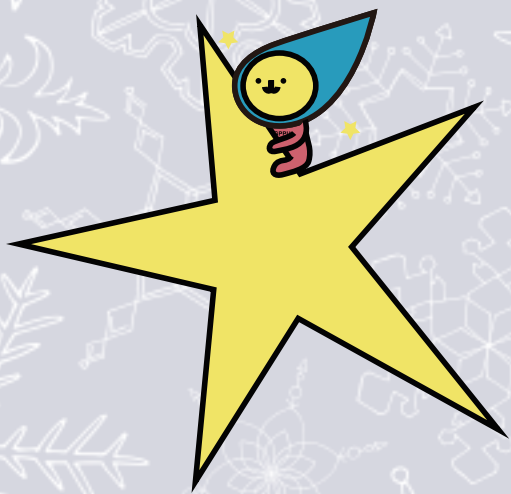


- Construct AC using ESR and aluminizedmylar.
  - reflectivity of ESR : ~ 98% , reflectivity of aluminizedmylar : ~ 92%
  - ... Scintillation light will be suppressed by using aluminizedmylar.
  - Cherenkov light will also become small.
  - perform beam test and decide to use which reflector
- Mass production, take physics data in 2020.

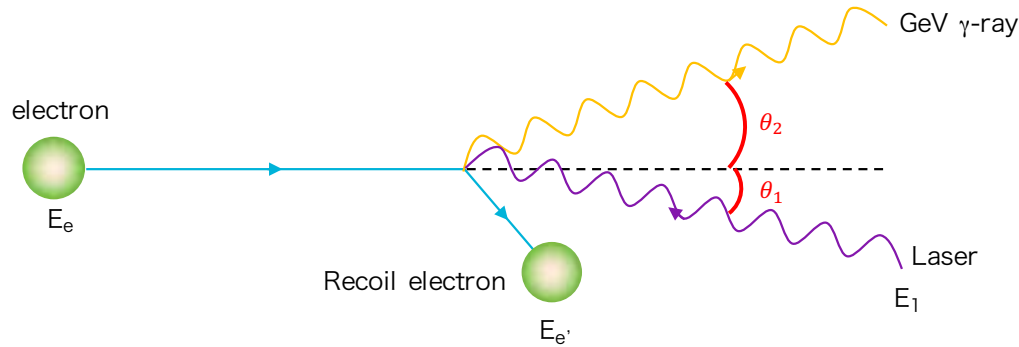
# summary

- We will plan to do  $K$ -pp bound state search experiment using  $\gamma d \rightarrow K^+ \pi^- X$ .
- We developed the aerogel Cherenkov counter for  $\pi/K$  separation in the momentum region 1 – 2 GeV/c.
- We performed electron beam test and study scintillation light from reflector.
  - When  $\pi$  detection efficiency  $> 95\%$  (threshold 36 ch),  $K$  misID probability is  $\sim 17\%$   
Event selection using time information suppresses  $K$  misID probability to  $\sim 11\%$ .
  - Scintillation light which wave length is 400 – 500 nm is emitted from ESR.  
Scintillation light will be suppressed by using aluminizedmylar.
- As a next step, we will optimize shape of AC box using simulation neglecting light absorption by aerogel. Then decide to use which reflector (ESR or aluminizedmylar).

# appendix



# $\gamma$ ray generated by backward Compton scattering



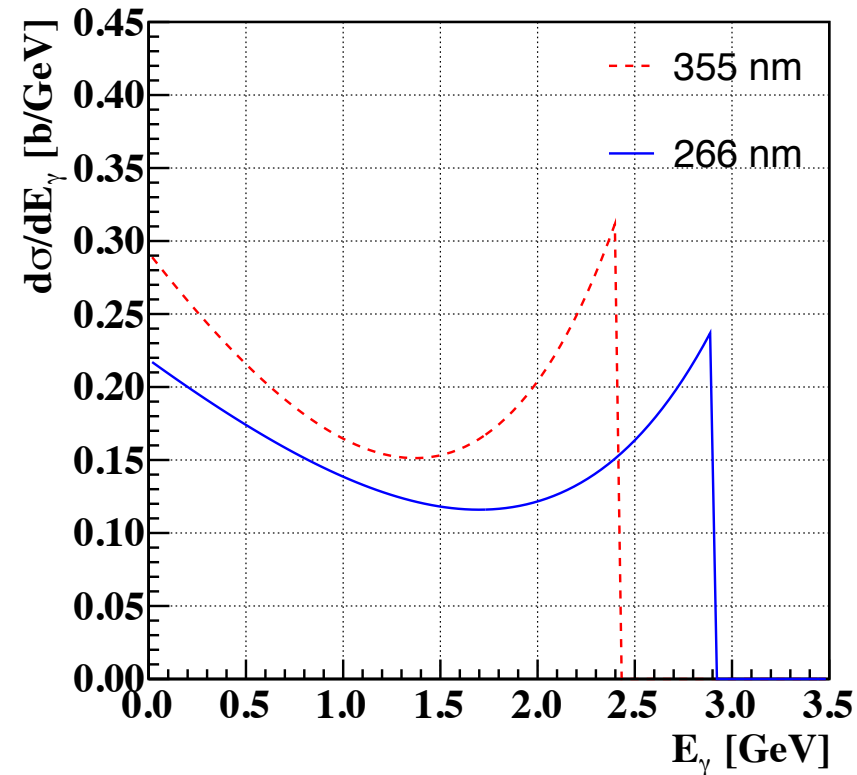
$$E_\gamma = E_1 \frac{1 - \beta \cos \theta_1}{(1 - \beta \cos \theta_2) + \frac{E_1}{E_e} (1 - \cos(\theta_2 - \theta_1))}$$

When use a laser which wave length is 266 nm,

$$E_{\gamma \max} \sim 2.9 \text{ GeV.}$$

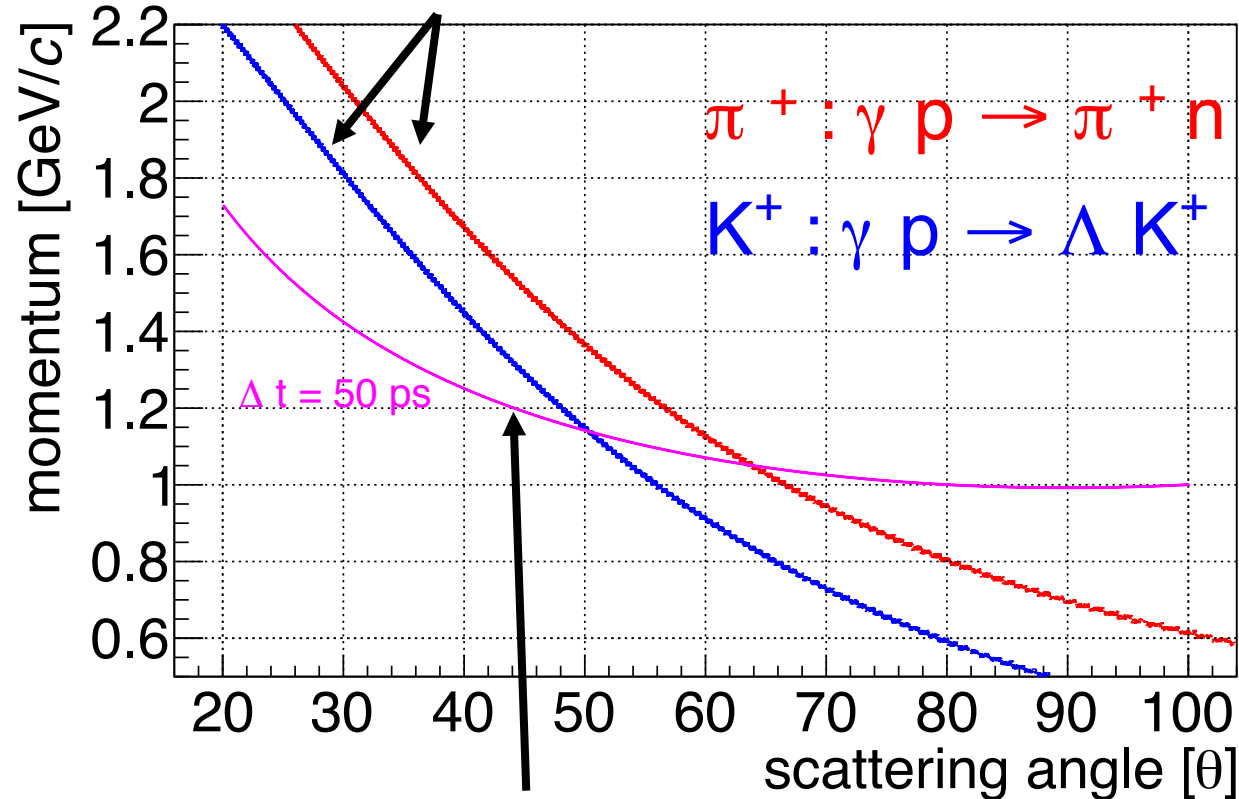
When use a laser which wave length is 355 nm,

$$E_{\gamma \max} \sim 2.4 \text{ GeV.}$$



# PID using TOF

momentum of  $\pi$  and K of a reaction which each momentum becomes maximum.



maximum momentum which Barrel RPC can separate TOF of  $\pi$  and K more than  $6\sigma$

→ Barrel RPC can not separate  $\pi$  and K scattered less than  $50^\circ$ .

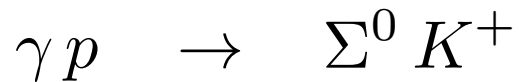
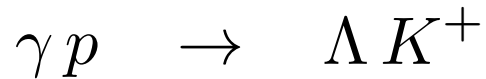
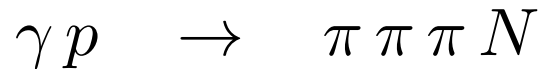
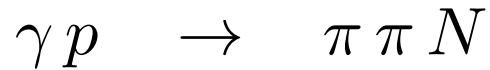
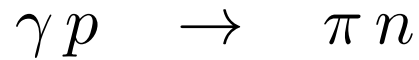
→  $< 30^\circ$  : Forward RPC,  $30^\circ - 40^\circ$  : AC2,  $40^\circ - 50^\circ$  : AC1

# ratio of $\pi$ and K events scattering $30^\circ - 40^\circ$

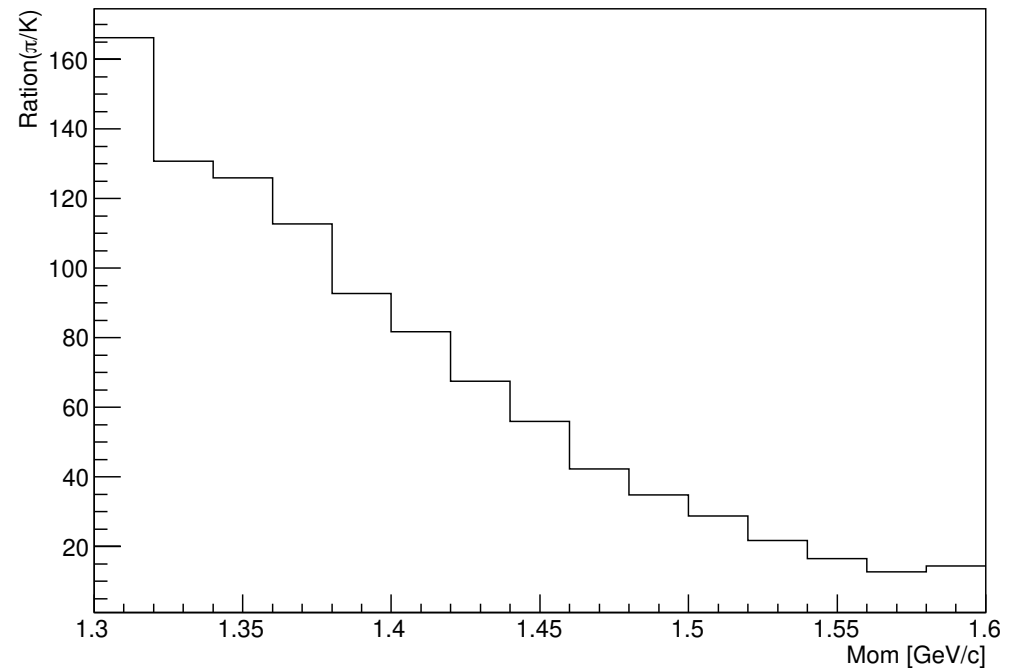
calculate ratio of  $\pi$  and K events scattering  $30^\circ - 40^\circ$  using SAID.

<http://gwdac.phys.gwu.edu/>

calculated reactions ( $E_\gamma = 2.5$  GeV)



calculated  $\pi/K$  ratio

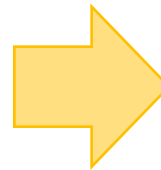
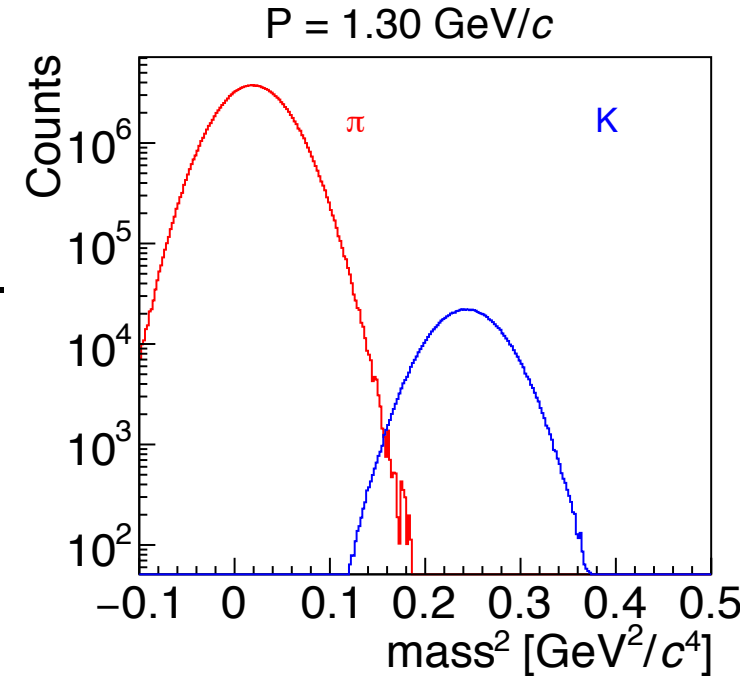
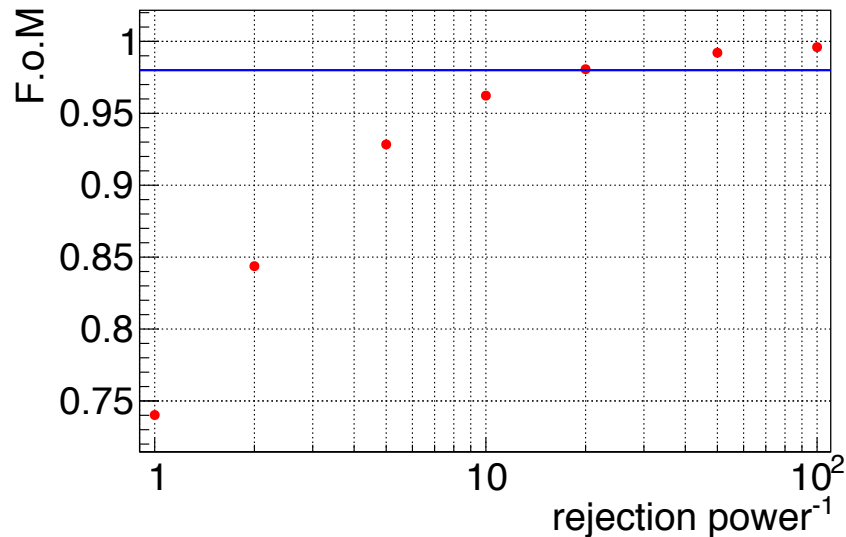


# Requirement for AC

$$f_{purity}(p) = \frac{N_K(p)}{N_\pi(p) + N_K(p)} : \text{purity of K scattering } 30^\circ - 40^\circ$$

$N_\pi(p)$ ,  $N_K(p)$  : number of  $\pi$  or K scattering  
 $30^\circ - 40^\circ$  which  $mass^2$  value is within  $\pm 2.5\sigma$   
 from a mean of gaussian fitted K  $mass^2$  distribution.

$$F.o.M = \left\{ \prod_n f_{purity}(p_n) \right\}^{-1/n} : \text{mean of purity}$$



**Rejection power > 5%**  
**=  $\pi$  detection efficiency > 95%**

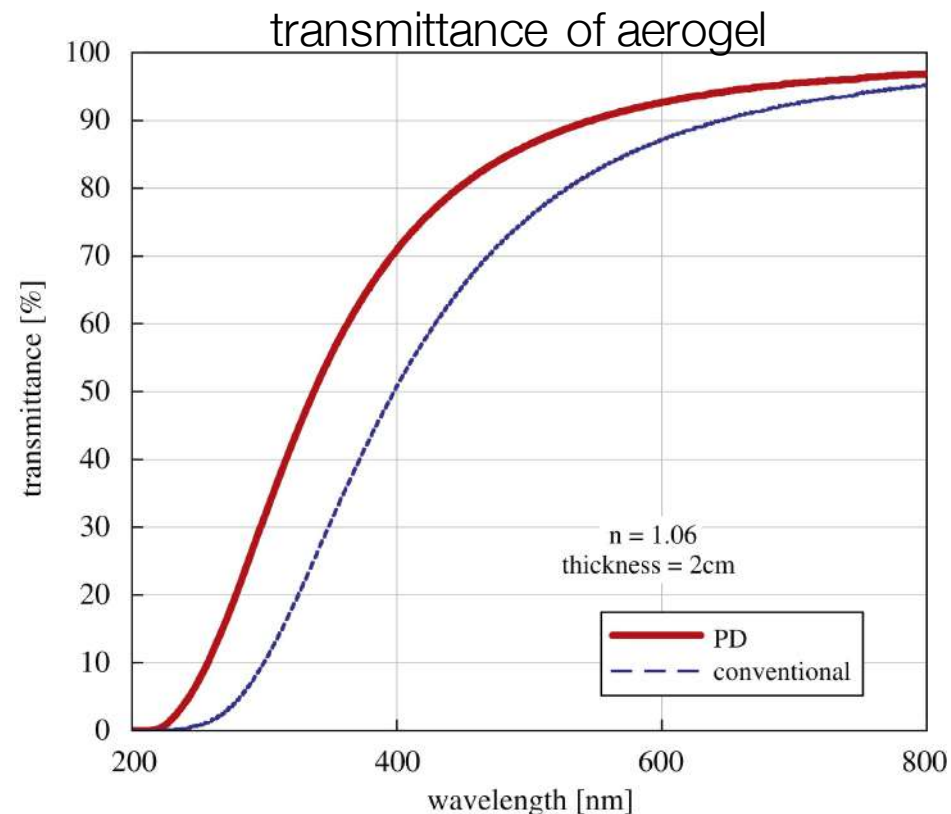


# Simulation condition

Simulation code : Guide-7

Condition

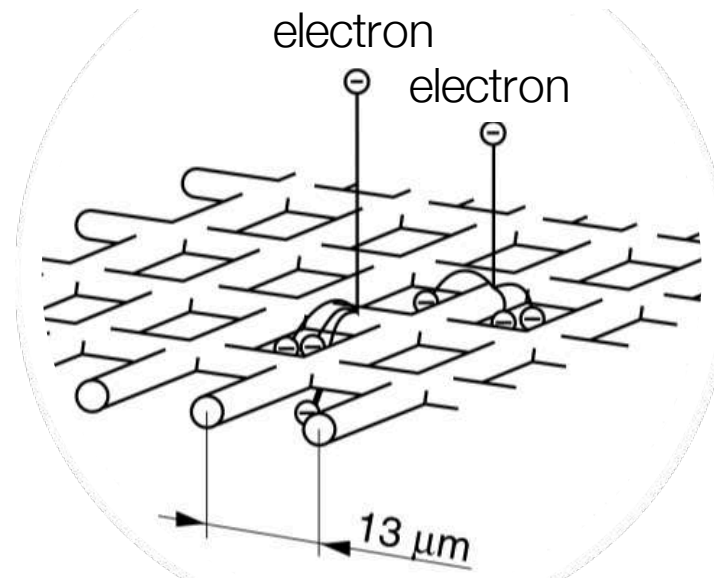
- incident particle :  $\pi$
- momentum : 2.0 GeV/c
- reflectivity of reflector : 98%
- PMT response range : 200 – 650 nm
- PMT quantum efficiency : 20%



I. Adachi *et al.*, Nucl. Instrum. Methods. A, 639 222-224 (2011)

# fine-mesh PMT

mesh dynodes are placed with a narrow gap



- to efficiently multiply photoelectron in the magnetic field
- Single photo-electron signal is NOT a gaussian.
- The relation of ADC and mean of number of photo-electron ( $N_{pe}$ ) is not linear.

# performance test : proton beam test

performed 2018/10/17 – 18 @CYRIC

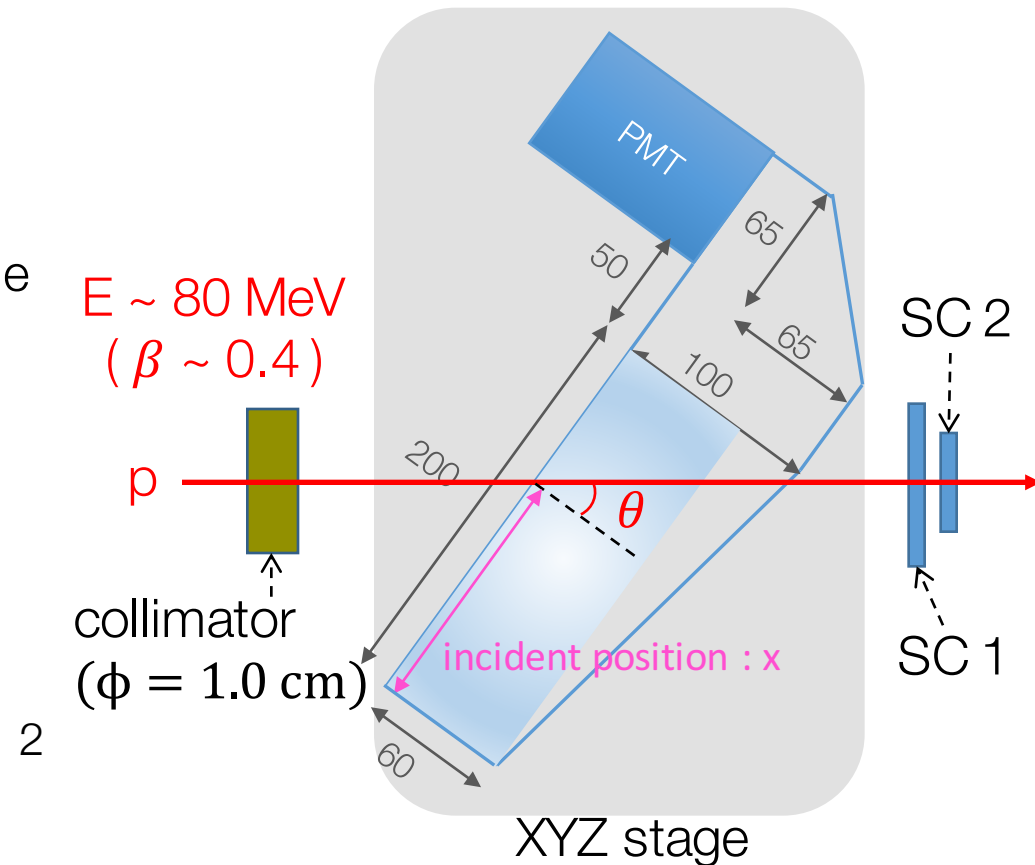
## Purpose

to check a light output of  $\beta < \beta_{th}$  particle

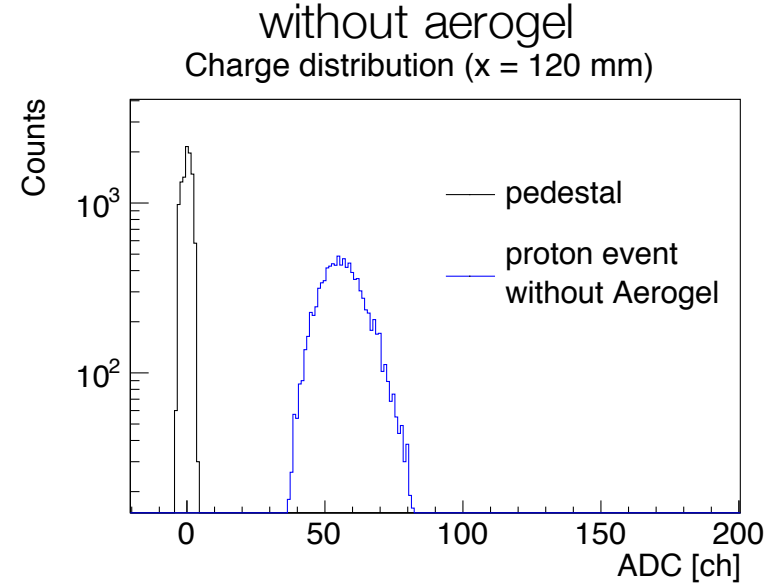
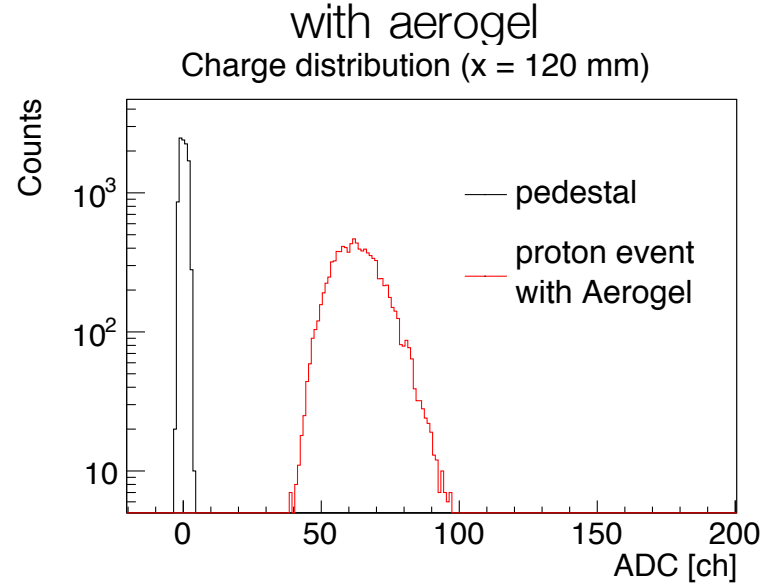
- compare light output with and without aerogel
- position dependence

## Conditions

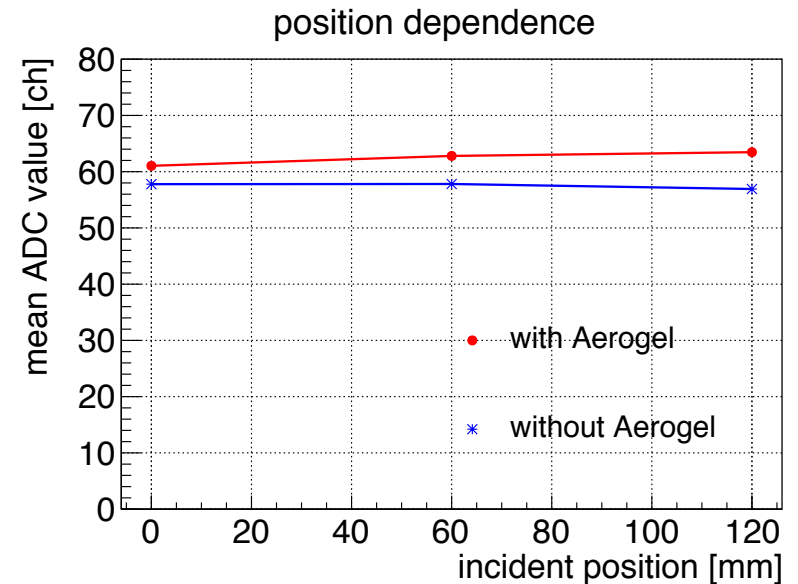
- trigger signal : coincidence of plastic scintillator
- trigger rate ~ 50 Hz
- incident position : 0, 60, 120 mm
- with / without aerogel in the prototype



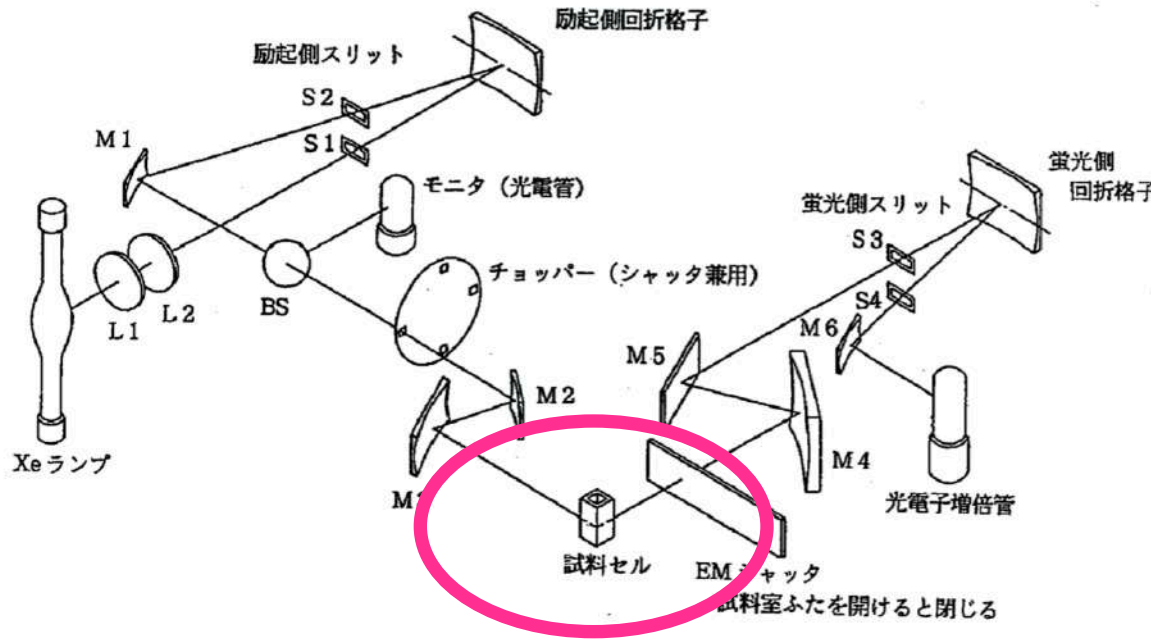
# light output with and without aerogel



- Difference of light output between with and without aerogel is small.
  - Position dependence is small.
- Is scintillation light emitted from reflector ?

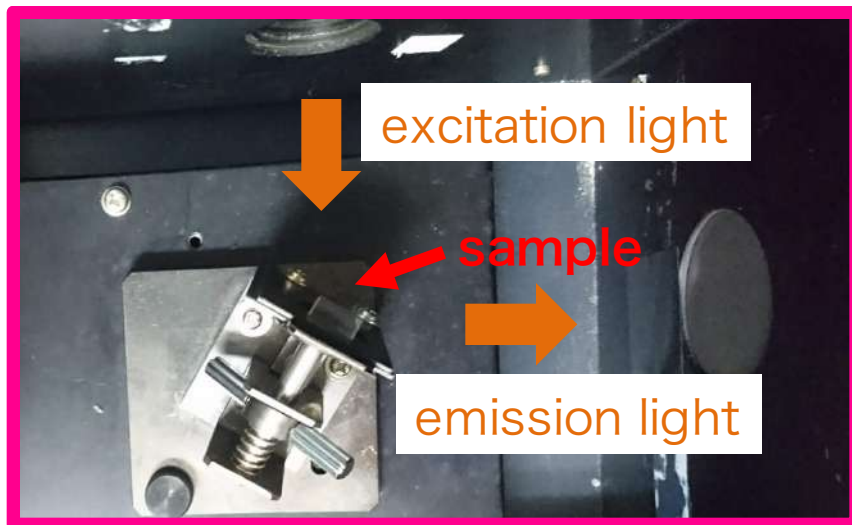


# Study of scintillation light from reflector



2018/11/18 @KEK

HITACHI spectro-fluorophotometer  
F-4500



Condition

- excitation wavelength : 200 – 600 nm ( $\Delta$  5 nm)
- emission wavelength : 200 – 600 nm ( $\Delta$  5 nm)

# Cherenkov light from air

calculate ratio of Cherenkov  $N_{pe}$  from aerogel and air

refractive index of air = 1.0002

→  $\beta_{th} = 0.9998$  ( $\beta_{electron} > \beta_{th}$ ,  $\beta_{proton} < \beta_{th}$ )

$$\frac{d^2 N_{pe}}{dLd\lambda} = \frac{2\pi\alpha z^2}{\lambda} \left( 1 - \frac{1}{\beta^2 n^2} \right)$$

flight pass L : ~ 7 cm (aerogel), ~ 8 – 12.5 cm (air)

integrate from 200 – 650 nm (PMT response range)

→  $N_{pe}(\text{aerogel}) : 614$ ,  $N_{pe}(\text{air}) : 4.8 - 7.7$

→  $N_{pe}(\text{air})/N_{pe}(\text{aerogel}) < \text{about } 1\%$

# Cherenkov light by $\delta$ -electron

kinetic energy distribution of  $\delta$ -electron

$$\frac{d^2 N}{dT dx} = \frac{1}{2} K z^2 \frac{Z}{A} \frac{1}{\beta^2} \frac{F(T)}{T^2}$$

$$F(T) = (1 - \beta^2 T / T_{max})$$

maximum kinetic energy of  $\delta$ -electron

( $T_{max}$ )

$$T_{max} = \frac{2m_e c^2 \beta^2 \gamma^2}{1 + 2\gamma m_e / M + (m_e / M)^2}$$

integrate  $\frac{d^2 N}{dT dx}$  from Cherenkov kinetic energy threshold  $T_{th}$  to  $T_{max}$

→ mean of number of generated  $\delta$ -electron

number of generated  $\delta$ -electron

follows a poisson distribution.

→ probability of number of generated  $\delta$ -electron becomes more than 1 =  $\delta$ -electron generating probability

( $P_\delta$ )

incident particle	$\beta$	$T_{max}$ [MeV]	$P_\delta$
electron	~ 1	35.6	0.04
proton	~ 0.4	< $T_{th}$	-

→ effect of  $\delta$ -electron is less than 4%

# light source

light source when electron beam test and proton beam test

incident particle	with or without aerogel	light source
electron ( $\beta \sim 1$ )	with aerogel	<b>Cherenkov light</b> from aerogel
		Cherenkov light from air
		Cherenkov light by $\delta$ -electron
	without aerogel	<b>Scintillation light</b> from reflector
proton ( $\beta \sim 0.4$ )	with aerogel	Cherenkov light by $\delta$ -electron
		<b>Scintillation light</b> from reflector
	without aerogel	<b>Scintillation light</b> from reflector



# response by 1.5 GeV/c $\pi$ and K

$$\text{Cherenkov light : } \frac{d^2 N_{pe}}{dLd\lambda} = \frac{2\pi\alpha z^2}{\lambda} \left(1 - \frac{1}{\beta^2 n^2}\right)$$

$$\text{Scintillation light } \propto \frac{1}{\beta^2}$$

incident particle	$\beta$	$N_{cherenkov}$	$N_{scintillation}$	$N_{all}$
electron (80 MeV)	$\sim 1.0$	16.5	3.0	19.5
$\pi$ (1.5GeV/c)	0.996	14.2	3.0	17.2
K (1.5 GeV/c)	0.950	-	3.3	3.3

scale the charge distribution of electron beam test

- When threshold is 32 ch,  $\pi$  detection efficiency : 95%, K misID probability : 25%

Event selection using time information ...

- When threshold is 20 ch,  $\pi$  detection efficiency : 95%, K misID probability : 11%